

## CIE A Level Physics Formula Sheet (2025, 2026 and 2027 Syllabus)

AS Level Physics (9702)

| Chapter 1: Physical Quantities and Unit   |   |
|---|---|
| ,   |   |
| Chapter 2: Kinematics   |   |
| Average velocity (ms <sup>-1</sup> ) = $\frac{\text{displacement (m)}}{\text{time (c)}}$  | $v = \frac{x}{t}$   |
| Acceleration (ms <sup>-2</sup> ) = $\frac{\text{final velocity (ms}^{-1}) - \text{initial velocity (ms}^{-1})}{\text{time (s)}}$                  | $a = \frac{v - u}{t}$   |
| Equations of motion   | $v = u + at$ $d = \frac{1}{2}(v + u)t$ $d = ut + \frac{1}{2}at^{2}$ |
|   | $a = ut + \frac{1}{2}at^2$ $v^2 = u^2 + 2ad$                        |
| Chapter 3: Dynamics   | t a laac  |
| Force (N) = mass (kg) $\times$ acceleration (ms <sup>-2</sup> )   | F = ma  |
| change in momentum (kgms <sup>-1</sup> )  | $F = ma$ $F = \frac{\Delta p}{t}$                                   |
| Force (N) = $\frac{1}{\text{time (s)}}$   | $F = \frac{1}{t}$   |
| Momentum (kgms <sup>-1</sup> ) = mass (kg) $\times$ velocity (ms <sup>-1</sup> )  | p = mv  |
| Chapter 4 Forces, Density and Pressure  |   |
| Moment $(Nm)$ = Force $(N)$ × perpendicular distance from pivot $(m)$   | M = Fd  |
| Sum of clockwise moments (Nm) = sum of anticlockwise moments (Nm)   | $F_1d_1 = F_2d_2$   |
| Density (kgm <sup>-3</sup> ) = $\frac{\text{mass (kg)}}{\text{volume}^3}$<br>Pressure(Pa) = $\frac{\text{Force (N)}}{\text{area (m}^2)}$          | $F_1 d_1 = F_2 d_2$ $\rho = \frac{m}{V}$ $P = \frac{F}{A}$          |
| $Pressure(Pa) = \frac{Force (N)}{area (m^2)}$   | $P = \frac{F}{A}$   |
| Fluid Pressure (Pa) = density (kgm <sup>-3</sup> ) × gravitational field strength (ms <sup>-2</sup> or Nkg <sup>-1</sup> ) × height (m)           | $P = \rho g h$  |
| Force (Newtons) = density (kgm $^{-3}$ ) × gravitational field strength (ms $^{-2}$ or Nkg $^{-1}$ ) × volume (m $^{3}$ )                         | $P = \rho g V$  |
| Chapter 5: Work, Energy and Power   |   |
| Work (J) = force (N) $\times$ distance moved (m)  | W = Fd  |
| Efficiency (%) = $\frac{\text{useful power output (W or J)}}{\text{total power input (W or J)}} \times 100\%$                                     | $\eta = \frac{P_{out}}{P_{in}} \times 100\%$                        |
| Power (W) = $\frac{\text{work (J)}}{\text{time (s)}}$   | $\eta = \frac{P_{out}}{P_{in}} \times 100\%$ $P = \frac{W}{t}$      |
| Power (W) = Force (N) $\times$ velocity (ms <sup>-1</sup> )   | P = Fv  |
| Gravitational potential energy (J) = mass (kg) $\times$ gravitational field strength (ms <sup>-2</sup> or Nkg <sup>-1</sup> ) $\times$ height (m) | GPE = mgh   |
| Kinetic Energy (J) = $\frac{1}{2}$ × mass (kg) × velocity <sup>2</sup> (ms <sup>-1</sup> )  | $KE = \frac{1}{2}mv^2$  |
| Chapter 6: Deformation of Solids  |   |
| Hooke's law: Force (N) = constant (Nm <sup>-1</sup> ) × extension (m)   | F = kx  |
| $Stress (Pa) = \frac{Force (N)}{area (m^2)}$  | $\sigma = \frac{F}{A}$  |
| $Strain = \frac{Change in length (meters)}{Original length (meters)}$   | $\varepsilon = \frac{x}{L}$   |
| Elastic potential energy (Joules) = $\frac{1}{2}$ × Force (N) × change in length (x)  | $EPE = \frac{1}{2}Fx$   |
| Elastic potential energy (Joules) = $\frac{1}{2}$ × spring constant (Nm <sup>-1</sup> ) × change in length (m) <sup>2</sup>                       | $EPE = \frac{1}{2}kx^2$   |



| Chapter 7: Waves  |   |
|---|---|
| $Frequency (Hz) = \frac{1}{Period (s)}$   | $f = \frac{1}{T}$                                 |
| Wave speed (ms-1) = frequency (Hz) × wavelength (m)   | $V = f\lambda$                                    |
|   |   |
| Intensity $(Wm^{-3}) = \frac{Power(W)}{Area(m^{-3})}$   | $I = \frac{P}{A}$ $f_0 = \frac{v}{v \pm v_s} f_s$ |
| Observed frequency (Hz)   | $f_0 = \frac{v}{f_s}$                             |
| $= \frac{\text{speed of sound waves } (\text{ms}^{-1})}{\text{speed of sound waves } (\text{ms}^{-1})}$   | $v \pm v_s$                                       |
| $= \frac{\text{speed of sound waves (ms}^{-1})}{\text{speed of sound waves (ms}^{-1}) \pm \text{source velocity (ms}^{-1})}$                              |   |
| $\times$ source frequency (Hz)  Remaining intensity (Wm <sup>-3</sup> ) = Original intensity (Wm <sup>-3</sup> ) $\times$ cos <sup>2</sup> (angle between | $I = I_0 \cos \theta$                             |
| polarized light and transmission axis)  | $I = I_0 \cos \theta$                             |
| Chapter 8: Superposition  |   |
| Two fixed ends string   |   |
| Fundamental   | $\lambda = 2L$                                    |
| NODE NODE   | $f = \frac{c}{2L}$                                |
| Second harmonic   | $\lambda = L$                                     |
| N L=A   | $f = \frac{c}{L}$                                 |
| Third harmonic  | $\lambda = \frac{2L}{L}$                          |
| N L=3A/2  | $\lambda = \frac{2L}{3}$ $f = \frac{3c}{2L}$      |
| Both ends closed air column   |   |
|   | $L = \frac{n\lambda}{2}$ $f = \frac{nv}{2L}$      |
| One end open air column   |   |
|   | $L = \frac{n\lambda}{4}$ $f = \frac{nv}{4L}$      |
| Both ends open air column   |   |
|   | $L = \frac{n\lambda}{n}$                          |
|   | $L = \frac{n\lambda}{2}$ $f = \frac{nv}{2L}$      |
| Wavelength (m) = $\frac{\text{slit width (m)} \times \text{distance between two successive lines (m)}}{\text{distance between two successive lines (m)}}$ | $\lambda = \frac{ax}{D}$                          |
| slit width (m) x sin (angle of diffraction)   | $d \sin \theta$                                   |
| Wavelength (m) = $\frac{\text{Sit Witth (iii)} \times \text{Sin (aligne of diffraction)}}{\text{nth order of beam}}$                                      | $\lambda = \frac{a \sin b}{n}$                    |



| Chapter 9: Electricity   |   |
|--|---|
| $Current (A) = \frac{charge (C)}{time (s)}$  | $I = \frac{Q}{t}$   |
| Current (A) = Cross-sectional area $(m^2) \times number$ of electrons per $m^3 (m^{-3}) \times drift$  | I = Anvq  |
| velocity (ms <sup>-1</sup> ) x electron charge (C)   |   |
| $Voltage (V) = \frac{energy transferred (J)}{charge (C)}$  | V = W   |
| charge (C)   | $V = \frac{W}{Q}$   |
| Energy transferred $(J) = power(W) \times time(s)$   | W = Pt  |
| Power (W) = current (A) $\times$ voltage (V)   | P = IV  |
| Power (W) = current <sup>2</sup> (A) × resistance ( $\Omega$ )   | $P = I^2R$  |
| Voltage (V) = current (A) $\times$ resistance ( $\Omega$ )   | V = IR  |
| Resistance ( $\Omega$ ) = $\frac{\text{resistance (}\Omega\text{)}}{area(\text{m}^2)}$   | _   |
|  | $R = \frac{\rho l}{\Lambda}$  |
| Wires have a circular cross section, area = $\pi \times \text{radius}^2$   | A   |
| Chapter 10: DC Circuits  |   |
| e. m. f (V) = $\frac{\text{work done by cell (J)}}{\text{charge (C)}}$   | $F = \frac{W}{}$  |
|  | $E = \frac{W}{Q}$ $E = V + Ir$  |
| e.m.f (V) = potential difference (V) + current (A) $\times$ internal resistance ( $\Omega$ )   |   |
| Resistors in series: Total Resistance ( $\Omega$ ) = sum of individual resistors ( $\Omega$ )  | $R_{total} = R_1 + R_2 + R_3 + \dots R_n$                                   |
| Resistors in parallel:   | $\frac{1}{R_{total}} = \frac{1}{R_1} + \frac{1}{R_2} + \dots \frac{1}{R_n}$ |
| 1 1  | Rtotal R <sub>1</sub> R <sub>2</sub> R <sub>n</sub>                         |
| $\frac{1}{\text{total resistance }(\Omega)} = \frac{1}{\text{sum of individual resistors }(\Omega)}$   | D   |
| Output voltage (V) = $\frac{\text{Resistance of resistor attached to voltmeter }(\Omega)}{\text{Total resistance }(\Omega)} \times \text{Input voltage }(V)$ | $V_0 = \frac{R_2}{R_1 + R_2} V$   |
| Chapter 11: Particle Physics   |   |
| Alpha:   | $_{Z}^{A}X \rightarrow _{Z-2}^{A-4}Y + _{2}^{4}He$                          |
| $^{238}_{92}U \rightarrow ^{234}_{90}Th + ^{4}_{2}He$  |   |
| Beta:  | ${}_Z^A X \rightarrow {}_{Z+1}^A Y + {}_{-1}^0 e$                           |
| $^{234}_{90}Th \rightarrow ^{234}_{91}Pa + ^{0}_{-1}e$   |   |
| Gamma  | ${}_Z^A X \rightarrow {}_Z^A Y + \gamma$                                    |
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## A Level Physics (9702)

| Chapter 12: Motion in a Circle  |   |
|---|---|
| Angular displacement (rad) = $\frac{\text{length of arc (m)}}{\text{radius (m)}}$   | $\Delta Q = \frac{\Delta S}{s}$                       |
|   | $\Delta\theta = \frac{\Delta s}{r}$ $\omega = 2\pi f$ |
| Angular speed (rads-1) = $2 \times \pi \times$ frequency (Hz)   | $\omega = 2\pi f$                                     |
| Tangential velocity (ms $^{-1}$ ) = radius (m) × angular speed (rads $^{-1}$ )  | $V_t = r\omega$                                       |
| Centripetal acceleration (ms <sup>-2</sup> ) = $\frac{\text{tangential velocity (ms}^{-1})^2}{\text{radius (m)}}$   | $V_t = r\omega$ $a_c = \frac{v_t^2}{r}$               |
| Centripetal acceleration (ms <sup>-2</sup> ) = radius (m) $\times$ angular speed (rads <sup>-1</sup> ) <sup>2</sup>   | $a_c = r\omega^2$                                     |
| Centripetal force (N) = $\frac{\text{mass (kg)} \times \text{tangential velocity (ms}^{-1})^2}{\text{radius (m)}}$  | $F_c = \frac{mv_t^2}{r}$                              |
| Centripetal force (N) = mass (kg) × radius (m) × angular speed (rads <sup>-1</sup> ) <sup>2</sup>   | $F_c = mr\omega^2$                                    |
| Chapter 13: Gravitational Field   |   |
| -   | F   |
| Gravitational field strength (ms <sup>-2</sup> ) = $\frac{\text{Weight (N)}}{mass (kg)}$  | $g = \frac{F}{m}$                                     |
| Gravitational force (N)   | $F_G = \frac{Gm_1m_2}{r^2}$                           |
| Gravitational constant $(Nm^2kg^{-2}) \times mass$ of object one $(kg) \times mass$ of object two $(kg)$  | $r_G = \frac{1}{r^2}$                                 |
| separation <sup>2</sup> (m <sup>2</sup> )   |   |
| Gravitational field strength (ms <sup>-2</sup> )  | $g = \frac{Gm_1}{r^2}$                                |
| $= \frac{\text{Gravitational rich strength (ins.)}}{\text{Gravitational constant (Nm}^2 \text{kg}^{-2}) \times \text{mass of object (kg)}}$   | $r^2$   |
| separation-(m-)   |   |
| Gravitational potential (Jkg <sup>-1</sup> )  | $\Phi = \frac{-Gm_1}{r}$                              |
| $= \frac{-\text{Gravitational constant (Nm}^2 \text{kg}^{-2}) \times \text{mass of object (kg)}}{\text{mass of object (kg)}}$   | r   |
| separation (m)  |   |
| Gravitational potential energy (J) Gravitational constant $(Nm^2kg^{-2}) \times mass$ of object one $(kg) \times mass$ of object two $(kg)$   | $GPE = \frac{Gm_1m_2}{r}$                             |
| = separation (m)  |   |
| Chapter 14: Temperature   |   |
| Celsius to Kelvin: Temperature in Celsius (°C) = Temperature in Kelvin (K) - 273.15   | $T = \theta + 273.15$                                 |
| Energy (J) = mass (kg) $\times$ specific heat capacity (Jkg <sup>-1</sup> °C <sup>-1</sup> ) $\times$ temperature change (°C)   | $Q = mc\theta$  |
| Energy (J) = mass (kg) $\times$ specific latent capacity (Jkg <sup>-1</sup> )   | Q = mL  |
| Chapter 15: Ideal Gases   |   |
| Pressure (Pa) $\times$ Volume (m <sup>3</sup> ) = number of moles $\times$ molar gas constant (m <sup>2</sup> kg s <sup>-2</sup> K <sup>-1</sup> mol <sup>-1</sup> ) $\times$ Temperature (K) | pV = nRT  |
| Pressure (Pa) $\times$ Volume (m <sup>3</sup> ) = Number of molecules $\times$ Boltzman constant (J K <sup>-1</sup> ) $\times$ Temperature (K)  | pV = NkT  |
| Mean square speed (ms <sup>-1</sup> )   | $\sqrt{\langle c^2 \rangle} = c_{rms}$                |
| Pressure (Pa) × Volume (m <sup>3</sup> ) = $1/3$ × Number of molecules × mass of one molecule of gas (kg) × mean square speed of the molecules (ms <sup>-1</sup> )                            | $pV = \frac{1}{3}Nm\langle c^2 \rangle$               |
| Kinetic energy (J) = $3/2 \times Boltzman constant$ (J K <sup>-1</sup> ) × Temperature (K)  | $E_K = 3/2  kT$                                       |



| Chapter 16: Thermodynamics  |  |
|---|--|
| Work (J) = Pressure (Pa) $\times$ Change in volume (m <sup>3</sup> )  | $W = p\Delta V$                              |
| Change in internal energy (J) = Energy supplied by heating (J) + Work done on system (J)  | $\Delta U = q + W$                           |
| Chapter 17: Oscillations  |  |
| Angular frequency (rads-1) = $2 \times \pi \times$ frequency ( $Hz$ )   | $\omega = 2\pi f$                            |
| Acceleration of an object oscillating in SHM (ms <sup>-2</sup> ) = - angular frequency <sup>2</sup> (rads <sup>-1</sup> ) <sup>2</sup> × displacement (m)   | $a = -\omega^2 x$                            |
| Position (m) = maximum displacement (m) $\times$ sin (angular frequency (rads-1) $\times$ time (s))   | $x = x_0 \sin(\omega t)$                     |
| Position (m) = maximum displacement (m) $\times$ cos (angular frequency (rads <sup>-1</sup> ) $\times$ time (s))  | $x = x_0 \cos(\omega t)$                     |
| Speed (ms <sup>-1</sup> ) = maximum speed (ms <sup>-1</sup> ) × cos (angular frequency (rads <sup>-1</sup> ) × time (s))  | $v = v_0 \cos(\omega t)$                     |
| speed (ms <sup>-1</sup> ) = $\pm$ angular frequency (rads <sup>-1</sup> )<br>× $\sqrt{\text{maximum displacement (m)}^2 - \text{position (m)}^2}$   | $v = \pm \omega \sqrt{x_0^2 - x^2}$          |
| Total energy of a system (J) = $\frac{1}{2}$ × mass (kg) × angular frequency (rads-1) <sup>2</sup> × maximum displacement (m) <sup>2</sup>  | $E = \frac{1}{2} m \omega^2 x_0^2$           |
| Chapter 18: Electric Fields   |  |
| Electric field strength $(NC^{-1}) = \frac{Force (N)}{Charge (C)}$  | $E = \frac{F}{q}$                            |
| Electric field strength $(Vm^{-1}) = \frac{\text{Potential difference } (V)}{\text{Separation between the plates } (m)}$  | $E = \frac{\Delta V}{\Delta d}$              |
| Electrostatic force (N) = $\frac{\text{point charge one }(C) \times \text{point charge two (C)}}{4 \times \pi \times \text{permittivity of free space }(Fm^{-1}) \times \text{separation}^2(m^2)}$        | $F = \frac{Q_1 Q_2}{4\pi \varepsilon_0 r^2}$ |
| Electric field strength (Vm <sup>-1</sup> ) $= \frac{\text{point charge } (C)}{4 \times \pi \times \text{permittivity of free space } (\text{Fm}^{-1}) \times \text{separation}^2(\text{m}^2)}$           | $E = \frac{Q}{4\pi\varepsilon_0 r^2}$        |
| Electric potential (V) = $\frac{\text{point charge (C)}}{4 \times \pi \times \text{permittivity of free space (Fm}^{-1}) \times \text{separation } (m)}$  | $V = \frac{Q}{4\pi\varepsilon_0 r}$          |
| Electric potential energy (J) $= \frac{\text{point charge one } (C) \times \text{point charge two } (C)}{4 \times \pi \times \text{permittivity of free space } (Fm^{-1}) \times \text{separation } (m)}$ | $EPE = \frac{Q_1 Q_2}{4\pi \varepsilon_0 r}$ |



| Chapter 19: Capacitance  |   |
|--|---|
| Capacitance (Farad) = $\frac{\text{Charge (C)}}{\text{Potential difference (V)}}$  | $C = \frac{Q}{V}$   |
| Potential difference (V)   | C - V   |
| Capacitance (Farad) = $4 \times \pi \times$ permittivity of free space (Fm <sup>-1</sup> ) × separation (m)  | $C = 4\pi \varepsilon_0 r$  |
| Capacitor in parallel: Total capacitance (F) = sum of individual capacitance (F)   | $C_{total} = C_1 + C_2 + C_3 + \dots C_n$   |
| Capacitor in series:   | $\frac{C_1 + C_2 + C_3 + \dots C_n}{\frac{1}{C_{total}} = \frac{1}{C_1} + \frac{1}{C_2} + \dots \frac{1}{C_n}}$ |
| $\frac{1}{\text{total capacitance (F)}} = \frac{1}{\text{sum of individual capacitance (C)}}$  |   |
| Elastic stored (Joules) = $\frac{1}{2}$ × Capacitance (F) × Potential difference (V) <sup>2</sup>  | W = ½ CV <sup>2</sup>   |
| Time constant (s) = resistance ( $\Omega$ ) × capacitance (F)  | $\tau = RC$   |
|  | $I = I_0 e^{-\frac{t}{RC}}$   |
| Equations to determine current, potential difference, and charge left after a certain amount of time   | $V = V_0 e^{-\frac{t}{RC}}$   |
|  | $Q = Q_0 e^{-\frac{t}{RC}}$   |
| Chapter 20: Magnetic Fields  |   |
| Force (N) = Magnetic field flux density (Tesla) $\times$ Current (A) $\times$ Length (m) $\times$ sin (angle between conductor and magnetic field)                                 | $F = BIL \sin \theta$   |
| Force (N) = Magnetic field flux density (Tesla) $\times$ Charge (C) $\times$ speed of charge (ms <sup>-1</sup> ) $\times$ sin (angle between charge trajectory and magnetic field) | $F = BQv \sin \theta$   |
| Magnetic field flux density $(T) \times Currrent(A)$   | D   |
| Hall voltage (V) = $\frac{1}{\text{number density of electrions (m}^{-3}) \times \text{thickness (m)} \times \text{charge (C)}}$   | $v_H = B \frac{I}{ntq}$   |
| Magnetic flux (Webers) = magnetic flux density (T) $\times$ area (m <sup>2</sup> ) $\times$ cos (degrees)  | $\Phi = BA \cos \theta$   |
| Magnetic flux linkage (Wb turns) = magnetic flux density (T) $\times$ area (m <sup>2</sup> ) $\times$ turns of wire $\times$ cos (degrees)   | $ΦN = BAN \cos θ$   |
| Chapter 21: Alternating Current  |   |
| Current (A) = Peak current (A) $\times$ sin (angular frequency (rads-1) $\times$ time (s))   | I = I <sub>0</sub> sin (ωt)   |
| Voltage (V) = Peak voltage (V) $\times$ sin (angular frequency (rads <sup>-1</sup> ) $\times$ time (s))  | $V = V_0 \cos(\omega t)$  |
| RMS Current (A) = $\frac{\text{Peak current (A)}}{\sqrt{2}}$   | $I_{rms} = \frac{I_0}{\sqrt{2}}$  |
| RMS Voltage (V) = $\frac{\text{Peak voltage (V)}}{\sqrt{2}}$   | $V_{rms} = \frac{V_0}{\sqrt{2}}$  |
| Mean power (W) = $\frac{\text{Power (W)}}{2}$  | $P_{mean} = \frac{P}{2}$  |



| Chapter 22: Quantum Physics  |  |
|--|--|
| Photon energy (J) = Planck's constant (Js) $\times$ frequency (Hz)   | E = hf   |
| (  | C - 111  |
| Energy (J)   | E  |
| Momentum (Ns) = $\frac{\text{Energy (J)}}{\text{speed of light (ms}^{-1})}$  | $p = \frac{E}{c}$  |
|  |  |
| Photon energy (J) = threshold energy (J) + $\frac{1}{2}$ × mass (kg) × velocity (ms <sup>-1</sup> ) <sup>2</sup>   | $hf = \Phi + 1/2mv^2$  |
|  | h  |
| $wavelength (m) = \frac{Planck's constant (Js)}{Momentum (Ns)}$  | $\lambda = \frac{h}{p}$  |
| Momentum (NS)  | p  |
| Photon energy (J) = Difference between two energy levels (J)   | $hf = E_1 - E_2$   |
| Thotal energy ()) Difference between two energy levels ())   | m E <sub>1</sub> E <sub>2</sub>  |
| Chapter 23: Nuclear Physics  |  |
| Energy (J) = mass defect (kg) $\times$ speed of light (ms <sup>-1</sup> ) <sup>2</sup>   | $E = mc^2$   |
|  |  |
| Average decay rate (s) = decay constant (s-1) $\times$ number of remaining nuclei  | $A = \frac{\Delta N}{\Delta t} = -\lambda N$   |
|  | $\Delta t = \Delta t$  |
| 0.602  | 0 602  |
| Half life (s) = $\frac{0.693}{\text{decay constant } (s^{-1})}$  | $t_{0.5} = \frac{0 \cdot 693}{\lambda}$  |
| decay constant (s 1)   | λ  |
| Number of remaining nuclei = Original number of nuclei $\times e^{-\text{decay constant (s}^{-1})\text{time(s)}}$  | $N = N_0 e^{-\lambda t}$   |
| Number of remaining nuclei = Original number of nuclei x e access constants  | $IV = IV_0e$   |
| Chapter 24: Medical Physics  |  |
|  |  |
| Acoustic impedance (kg m-2 s-1) = density (kgm-3) $\times$ speed of sound in material (ms-1)   | 7 - 00   |
| Acoustic impedance (kg m $^{-2}$ s $^{-1}$ ) = density (kgm $^{-3}$ ) × speed of sound in material (ms $^{-1}$ )   | Ζ = ρc   |
|  | ·  |
| Intensity of reflected wave (Wm <sup>-2</sup> )  | ·  |
| Intensity of reflected wave (Wm <sup>-2</sup> )  Intensity of incident wave (Wm <sup>-2</sup> )  | Z = $\rho c$ $\frac{I_r}{I_0} = \frac{(z_2 - z_1)^2}{(z_2 + z_1)^2}$   |
| Intensity of reflected wave (Wm <sup>-2</sup> )  Intensity of incident wave (Wm <sup>-2</sup> )  | ·  |
| Intensity of reflected wave (Wm <sup>-2</sup> )  Intensity of incident wave (Wm <sup>-2</sup> )  | ·  |
|  | ·  |
|  | $\frac{I_r}{I_0} = \frac{(z_2 - z_1)^2}{(z_2 + z_1)^2}$  |
|  | $\frac{I_r}{I_0} = \frac{(z_2 - z_1)^2}{(z_2 + z_1)^2}$  |
|  | $\frac{I_r}{I_0} = \frac{(z_2 - z_1)^2}{(z_2 + z_1)^2}$  |
|  | $\frac{I_r}{I_0} = \frac{(z_2 - z_1)^2}{(z_2 + z_1)^2}$ $I = I_0 e^{-\mu x}$   |
|  | $\frac{I_r}{I_0} = \frac{(z_2 - z_1)^2}{(z_2 + z_1)^2}$  |
|  | $\frac{I_r}{I_0} = \frac{(z_2 - z_1)^2}{(z_2 + z_1)^2}$ $I = I_0 e^{-\mu x}$ $F = \frac{L}{4\pi d^2}$  |
|  | $\frac{I_r}{I_0} = \frac{(z_2 - z_1)^2}{(z_2 + z_1)^2}$ $I = I_0 e^{-\mu x}$ $F = \frac{L}{4\pi d^2}$  |
|  | $\frac{I_r}{I_0} = \frac{(z_2 - z_1)^2}{(z_2 + z_1)^2}$ $I = I_0 e^{-\mu x}$   |
|  | $\frac{I_r}{I_0} = \frac{(z_2 - z_1)^2}{(z_2 + z_1)^2}$ $I = I_0 e^{-\mu x}$ $F = \frac{L}{4\pi d^2}$ $= 2 \cdot 9 \times 10^{-3}$   |
| $\frac{\text{Intensity of reflected wave (Wm}^{-2})}{\text{Intensity of incident wave (Wm}^{-2})} = \frac{\left(\text{impendance of material two (kgm}^{-2}\text{s}^{-1}) - \text{impendanceof material one(kgm}^{-2}\text{s}^{-1})\right)^2}{\left(\text{impendance of material two (kgm}^{-2}\text{s}^{-1}) + \text{impendanceof material one(kgm}^{-2}\text{s}^{-1})\right)^2}}{\text{Intensity (Wm}^{-2}) = \text{Intensity of incident beam (Wm}^{-2})}{\times \text{ e}^{-\text{absoprtion coefficient (m}^{-1})\text{distance(m)}}} $ $\text{(for ultrasound and x-ray)}$ $\text{Chapter 25: Astronomy and Cosmology}}$ $\text{Radiant flux intensity (Wm}^{-2}) = \frac{\text{Luminosity (W)}}{4 \times \pi \times \text{distance}^2\text{(m}^2)}}$ $\text{Wavelength (m)} \times \text{temperature (K)} = 2 \cdot 9 \times 10^{-3}$ $\text{Luminosity (W)} = 4 \times \pi \times \text{radius}^2\text{ (m}^2\text{)} \times \text{Stefan-Boltzmann constant (Wm}^{-2}\text{K}^{-4}\text{)} \times \text{Radiant flux intensity}}$   | $\frac{I_r}{I_0} = \frac{(z_2 - z_1)^2}{(z_2 + z_1)^2}$ $I = I_0 e^{-\mu x}$ $F = \frac{L}{4\pi d^2}$  |
| $\frac{\text{Intensity of reflected wave (Wm}^{-2})}{\text{Intensity of incident wave (Wm}^{-2})} = \frac{\left(\text{impendance of material two (kgm}^{-2}\text{s}^{-1}) - \text{impendance of material one(kgm}^{-2}\text{s}^{-1})\right)^2}{\left(\text{impendance of material two (kgm}^{-2}\text{s}^{-1}) + \text{impendance of material one(kgm}^{-2}\text{s}^{-1})\right)^2}}{\text{Intensity (Wm}^{-2}) = \text{Intensity of incident beam (Wm}^{-2})}{\times e^{-\text{absoprtion coefficient (m}^{-1})\text{distance(m)}}} \\ \text{(for ultrasound and x-ray)}$ $\frac{\text{Chapter 25: Astronomy and Cosmology}}{4 \times \pi \times \text{distance}^2(\text{m}^2)}}$ $\text{Wavelength (m)} \times \text{temperature (K)} = 2 \cdot 9 \times 10^{-3}$ $\text{Luminosity (W)} = 4 \times \pi \times \text{radius}^2(\text{m}^2) \times \text{Stefan-Boltzmann constant (Wm}^{-2}\text{K}^{-4}) \times \text{temperature}^4(\text{K})^4}$  | $\frac{I_r}{I_0} = \frac{(z_2 - z_1)^2}{(z_2 + z_1)^2}$ $I = I_0 e^{-\mu x}$ $F = \frac{L}{4\pi d^2}$ $= 2 \cdot 9 \times 10^{-3}$ $L = 4\Pi r^2 \sigma T^4$   |
| $\frac{\text{Intensity of reflected wave (Wm}^{-2})}{\text{Intensity of incident wave (Wm}^{-2})} = \frac{\left(\text{impendance of material two (kgm}^{-2}\text{s}^{-1}) - \text{impendance of material one(kgm}^{-2}\text{s}^{-1})\right)^2}{\left(\text{impendance of material two (kgm}^{-2}\text{s}^{-1}) + \text{impendanceof material one(kgm}^{-2}\text{s}^{-1})\right)^2}}{\text{Intensity (Wm}^{-2}) = \text{Intensity of incident beam (Wm}^{-2})}{\times e^{-\text{absoprtion coefficient (m}^{-1})\text{distance(m)}}} \\ \text{(for ultrasound and x-ray)}$ $\frac{\text{Chapter 25: Astronomy and Cosmology}}{\text{Chapter 25: Astronomy and Cosmology}}} \\ \text{Radiant flux intensity (Wm}^{-2}) = \frac{\text{Luminosity (W)}}{4 \times \pi \times \text{distance}^2(\text{m}^2)}} \\ \text{Wavelength (m)} \times \text{temperature (K)} = 2 \cdot 9 \times 10^{-3}$ $\frac{\text{Luminosity (W)} = 4 \times \pi \times \text{radius}^2(\text{m}^2) \times \text{Stefan-Boltzmann constant (Wm}^{-2}\text{K}^{-4}) \times \text{temperature}^4(\text{K})^4} \\ \text{shift in wavelength (m)}  \text{shift in frequency (Hz)}  \text{speed of recession (ms}^{-1})}$   | $\frac{I_r}{I_0} = \frac{(z_2 - z_1)^2}{(z_2 + z_1)^2}$ $I = I_0 e^{-\mu x}$ $F = \frac{L}{4\pi d^2}$ $= 2 \cdot 9 \times 10^{-3}$ $L = 4\Pi r^2 \sigma T^4$   |
| $\frac{\text{Intensity of reflected wave (Wm}^{-2})}{\text{Intensity of incident wave (Wm}^{-2})} = \frac{\left(\text{impendance of material two (kgm}^{-2}\text{s}^{-1}) - \text{impendance of material one(kgm}^{-2}\text{s}^{-1})\right)^2}{\left(\text{impendance of material two (kgm}^{-2}\text{s}^{-1}) + \text{impendance of material one(kgm}^{-2}\text{s}^{-1})\right)^2}}{\text{Intensity (Wm}^{-2}) = \text{Intensity of incident beam (Wm}^{-2})}{\times e^{-\text{absoprtion coefficient (m}^{-1})\text{distance(m)}}} \\ \text{(for ultrasound and x-ray)}$ $\frac{\text{Chapter 25: Astronomy and Cosmology}}{4 \times \pi \times \text{distance}^2(\text{m}^2)}}$ $\text{Wavelength (m)} \times \text{temperature (K)} = 2 \cdot 9 \times 10^{-3}$ $\text{Luminosity (W)} = 4 \times \pi \times \text{radius}^2(\text{m}^2) \times \text{Stefan-Boltzmann constant (Wm}^{-2}\text{K}^{-4}) \times \text{temperature}^4(\text{K})^4}$  | $\frac{I_r}{I_0} = \frac{(z_2 - z_1)^2}{(z_2 + z_1)^2}$ $I = I_0 e^{-\mu x}$ $F = \frac{L}{4\pi d^2}$ $= 2 \cdot 9 \times 10^{-3}$   |
| $\frac{\text{Intensity of reflected wave (Wm}^{-2})}{\text{Intensity of incident wave (Wm}^{-2})} = \frac{\left(\text{impendance of material two (kgm}^{-2}\text{s}^{-1}) - \text{impendanceof material one(kgm}^{-2}\text{s}^{-1})\right)^2}{\left(\text{impendance of material two (kgm}^{-2}\text{s}^{-1}) + \text{impendanceof material one(kgm}^{-2}\text{s}^{-1})\right)^2}}{\text{Intensity (Wm}^{-2})} = \frac{\left(\text{Intensity (Wm}^{-2}\text{s}^{-1}) + \text{impendanceof material one(kgm}^{-2}\text{s}^{-1})\right)^2}{\times e^{-\text{absoprtion coefficient (m}^{-1}\text{distance(m)}}} \times e^{-\text{absoprtion coefficient (m}^{-1}\text{distance(m)})}} \times e^{-\text{absoprtion coefficient (m}^{-1}\text{distance(m)})} \times e^{-\text{absoprtion coefficient (m}^{-1}\text{distance(m)})}} \times e^{-\text{absoprtion coefficient (m}^{-1}\text{distance(m)})}} \times e^{-\text{absoprtion coefficient (m}^{-1}\text{distance(m)})} \times e^{-\text{absoprtion coefficient (m}^{-1}\text{distance(m)})} \times e^{-\text{absoprtion coefficient (m}^{-1}\text{distance(m)})} \times e^{-\text{absoprtion coefficient (m}^{-1}\text{distance(m)})} \times e^{-\text{absoprtion coefficient (m}^{-1}\text$ | $\frac{I_r}{I_0} = \frac{(z_2 - z_1)^2}{(z_2 + z_1)^2}$ $I = I_0 e^{-\mu x}$ $F = \frac{L}{4\pi d^2}$ $= 2 \cdot 9 \times 10^{-3}$ $L = 4\Pi r^2 \sigma T^4$ $\frac{\Delta \lambda}{\lambda} = \frac{\Delta f}{f} = \frac{v}{C}$ |
| $\frac{\text{Intensity of reflected wave (Wm}^{-2})}{\text{Intensity of incident wave (Wm}^{-2})} = \frac{\left(\text{impendance of material two (kgm}^{-2}\text{s}^{-1}) - \text{impendance of material one(kgm}^{-2}\text{s}^{-1})\right)^2}{\left(\text{impendance of material two (kgm}^{-2}\text{s}^{-1}) + \text{impendanceof material one(kgm}^{-2}\text{s}^{-1})\right)^2}}{\text{Intensity (Wm}^{-2}) = \text{Intensity of incident beam (Wm}^{-2})}{\times e^{-\text{absoprtion coefficient (m}^{-1})\text{distance(m)}}} \\ \text{(for ultrasound and x-ray)}$ $\frac{\text{Chapter 25: Astronomy and Cosmology}}{\text{Chapter 25: Astronomy and Cosmology}}} \\ \text{Radiant flux intensity (Wm}^{-2}) = \frac{\text{Luminosity (W)}}{4 \times \pi \times \text{distance}^2(\text{m}^2)}} \\ \text{Wavelength (m)} \times \text{temperature (K)} = 2 \cdot 9 \times 10^{-3}$ $\frac{\text{Luminosity (W)} = 4 \times \pi \times \text{radius}^2(\text{m}^2) \times \text{Stefan-Boltzmann constant (Wm}^{-2}\text{K}^{-4}) \times \text{temperature}^4(\text{K})^4} \\ \text{shift in wavelength (m)}  \text{shift in frequency (Hz)}  \text{speed of recession (ms}^{-1})}$   | $\frac{I_r}{I_0} = \frac{(z_2 - z_1)^2}{(z_2 + z_1)^2}$ $I = I_0 e^{-\mu x}$ $F = \frac{L}{4\pi d^2}$ $= 2 \cdot 9 \times 10^{-3}$ $L = 4\Pi r^2 \sigma T^4$   |