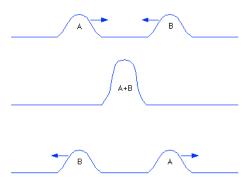
# Chapter 8 Superposition

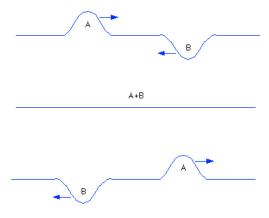
## 8.1 Stationary waves

#### Candidates should be able to:

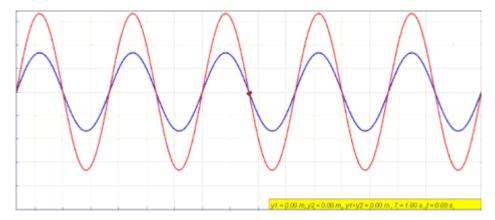
- 1 explain and use the principle of superposition
- show an understanding of experiments that demonstrate stationary waves using microwaves, stretched strings and air columns (it will be assumed that end corrections are negligible; knowledge of the concept of end corrections is not required)
- 3 explain the formation of a stationary wave using a graphical method, and identify nodes and antinodes
- 4 understand how wavelength may be determined from the positions of nodes or antinodes of a stationary wave
  - The **principle of superposition** states then who two opposing waves with the same frequency overlap, the resultant displacement is the sum of the amplitude of each wave.
  - Constructive interference occurs when the waves are in phase and both opposing waves have the same frequency and amplitude.



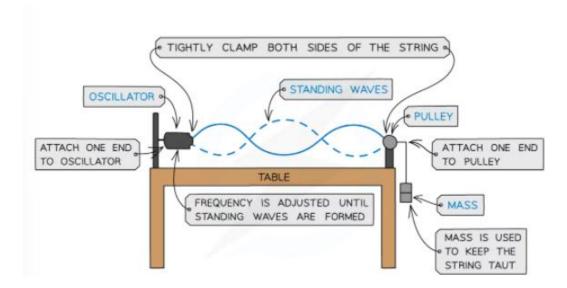
• Destructive interference occurs when the waves with the same frequency are in anti-phase and the peak of one wave coincides with the trough of the other.



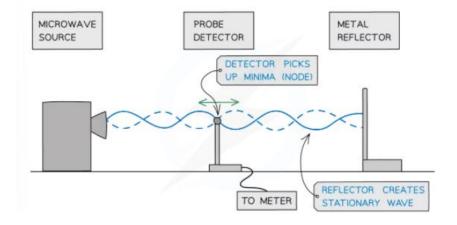
- Stationary waves are produced by the superposition of two opposing waves of the same frequency and amplitude.
- Usually produced by a travelling wave and its reflection.
- Produces a wave there the peaks and troughs do not move.



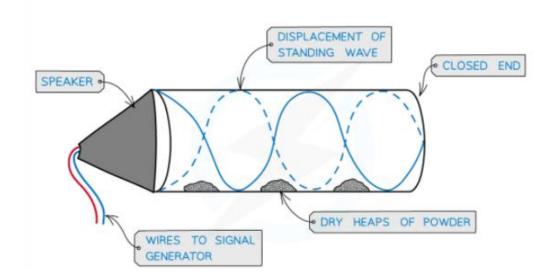
• Vibrations caused by stationary waves on a **stretched string** produce sound waves. E.g. guitars.



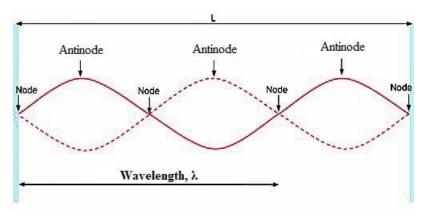
• Standing waves can be created by microwaves as well.



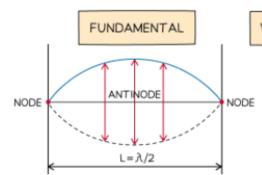
Stationary waves can form inside an air column through sound waves. E.g. organs.



- A stationary wave consists of nodes and antinodes.
- Nodes are where there is no vibration.
- Antinodes is where amplitude is at a maximum.
- Unlike a normal wave antinodes and nodes do not move from their position (see gif above)



 Stationary waves have different wave patterns depending on the frequency of the vibration. In AS, you will need to know how to measure the wavelength for two fixed ends and one or two open ends in air column.

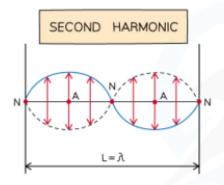


WAVELENGTH λ

 $\lambda = 2L$ 

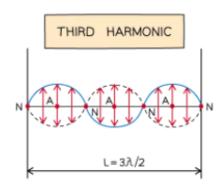
 $FREQUENCY = \frac{c}{\lambda}$ 

$$f = \frac{c}{2L}$$



λ=L

$$f = \frac{c}{L}$$



 $\lambda = \frac{2L}{3}$ 

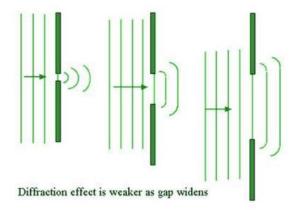
$$f = \frac{3c}{2L}$$

Air column fundamental wave	Length L	Resonant frequencies f / Hz	Value of n
	$L = \frac{n\lambda}{2}$	$f = \frac{nv}{2L}$	n = 1, 2, 3
	$L = \frac{n\lambda}{4}$	$f = \frac{nv}{4L}$	n = odd
	$L = \frac{n\lambda}{2}$	$f = \frac{nv}{2L}$	n = 1, 2, 3

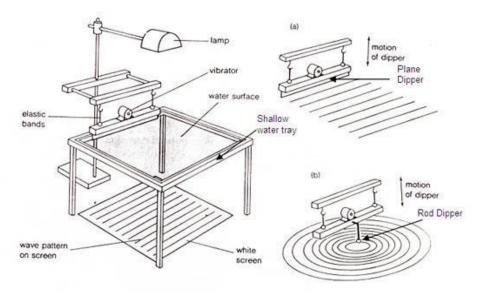
### 8.2 Diffraction

### Candidates should be able to:

- 1 explain the meaning of the term diffraction
- show an understanding of experiments that demonstrate diffraction including the qualitative effect of the gap width relative to the wavelength of the wave; for example diffraction of water waves in a ripple tank
  - Waves spread out when it passes through an opening or an edge.
  - This phenomenon is called diffraction.
  - Diffraction results in the waves having reduced <u>amplitude</u>.
  - The extent of diffraction depends on the width of the gap compared with the wavelength of the waves.



• Ripple tanks is a common experiment to demonstrate diffraction of water waves

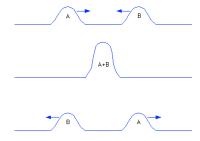


Here's a good video on Youtube to watch the experiment!
 https://www.youtube.com/watch?v=kKneOXydXVU&list=PLkFn4UxH72Z-iRqb1C-6573pthmbU8vwF&index=10&t=2s&ab\_channel=kamalWafi

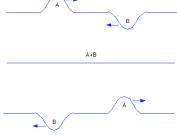
### 8.3 Interference

#### Candidates should be able to:

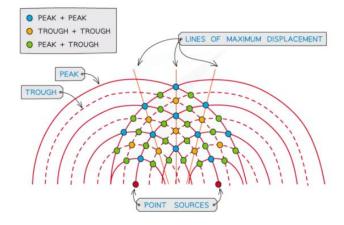
- 1 understand the terms interference and coherence
- show an understanding of experiments that demonstrate two-source interference using water waves in a ripple tank, sound, light and microwaves
- 3 understand the conditions required if two-source interference fringes are to be observed
- 4 recall and use  $\lambda = ax/D$  for double-slit interference using light
  - Interference occurs when waves overlap and their resultant displacement is the sum of the displacement of each wave.
  - Based on the principle of superposition, the resultant waves may be smaller or larger than either two individual waves:
    - i) Waves that are in phase causes constructive interference



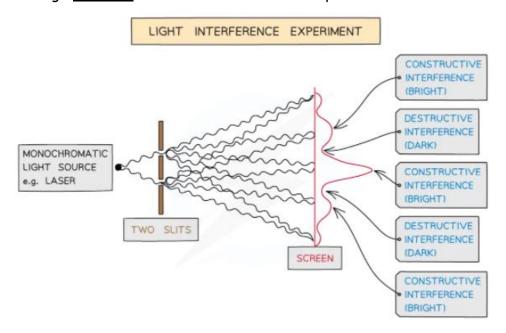
ii) Waves that are in anti-phase causes destructive interference



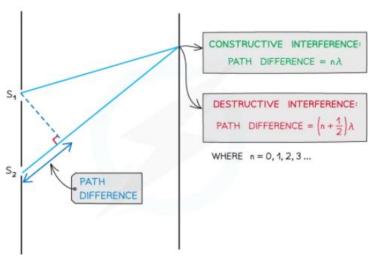
- Waves are coherent if they have the <u>same frequency</u> and <u>constant phase</u> <u>difference</u>.
- Two-source interference can be demonstrated in water using ripple tanks.



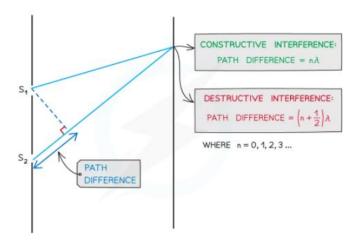
• Laser through two slits can also form interference patterns.



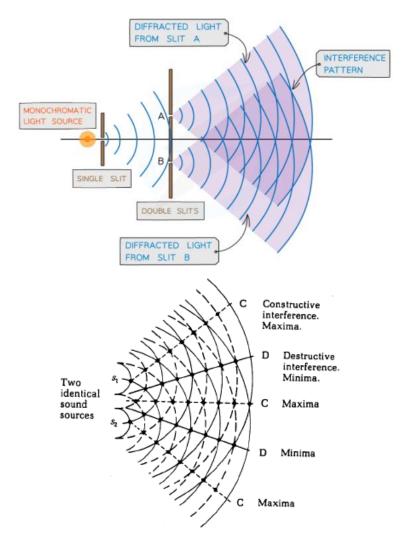
• For two-source interference fringes to be observed, the sources of wave must be <u>coherent</u> and <u>monochromatic</u> (single wavelength).



- For <u>constructive</u> interference (maxima), the difference in wavelengths will be an <u>integer number of whole wavelengths</u>.
- For <u>destructive</u> interference (minima) it will be an <u>integer number of whole</u> <u>wavelengths plus a half wavelength</u>.



• Young's Double Slit experiment demonstrates how light waves produced an interference pattern.

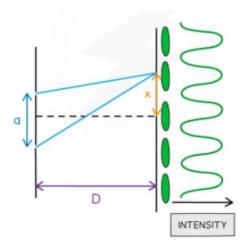


• Since both diffracted light are coherent they will create an observable interference pattern made up of bright (constructive) and dark fringes (destructive).

• The distance between two successive antinodal lines or nodal lines can be calculated using:

$$\lambda = \frac{ax}{D}$$

• Where x is the distance between two successive lines, a is distance between two coherent sources of waves and D is the distance from the waves sources to the line

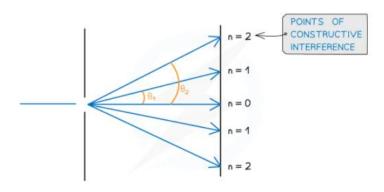


# 8.4 The diffraction grating

#### Candidates should be able to:

- 1 recall and use  $d \sin \theta = n\lambda$
- describe the use of a diffraction grating to determine the wavelength of light (the structure and use of the spectrometer are not included)
  - A diffraction grating is a plate on which there is a very large number of parallel, identical, close-spaced slits.
  - The angles at which maxima of intensity are produced, can be deduced by the diffraction grating equation

$$d \sin(\theta) = n\lambda$$



• The wavelength of light can be determined by rearranging the grating equation

$$\lambda = \frac{d \sin \theta}{n}$$

• We can find  $\theta$  by using

$$\tan \theta = \frac{h}{D}$$

